

AP Stat Review for Unit I Test  
Topics 1-5

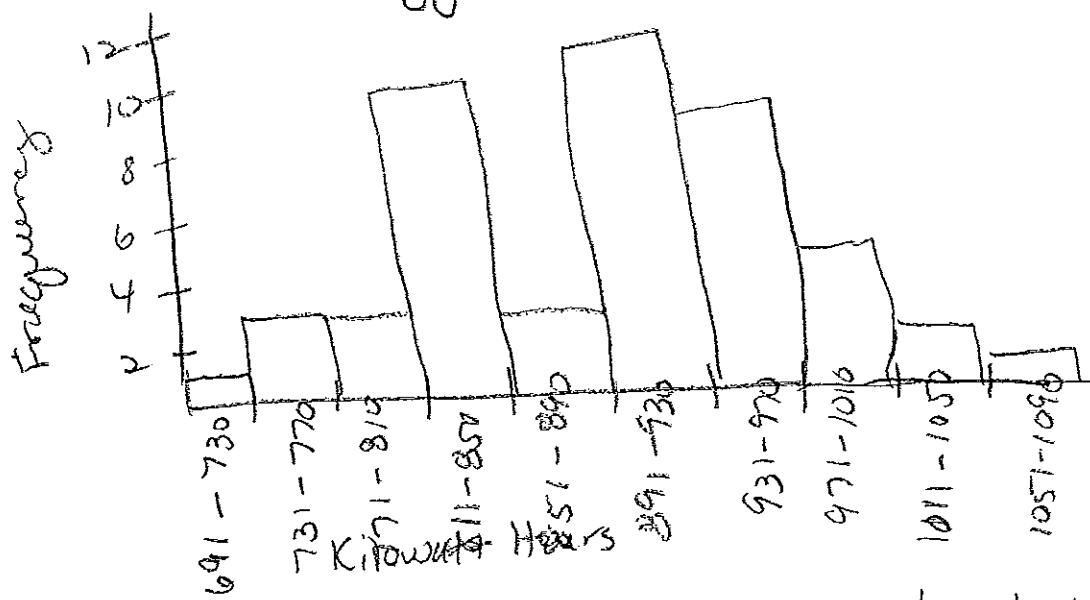
① homes

② quantitative, # of kilowatt hours

<u>Class</u>	<u>Tally</u>	<u>Frequency</u>
691 - 730		1
731 - 770		3
771 - 810		3
811 - 850		10
851 - 890		3
891 - 930		11
931 - 970		9
971 - 1010		5
1011 - 1050		3
1051 - 1090		1

Energy consumption in Homes

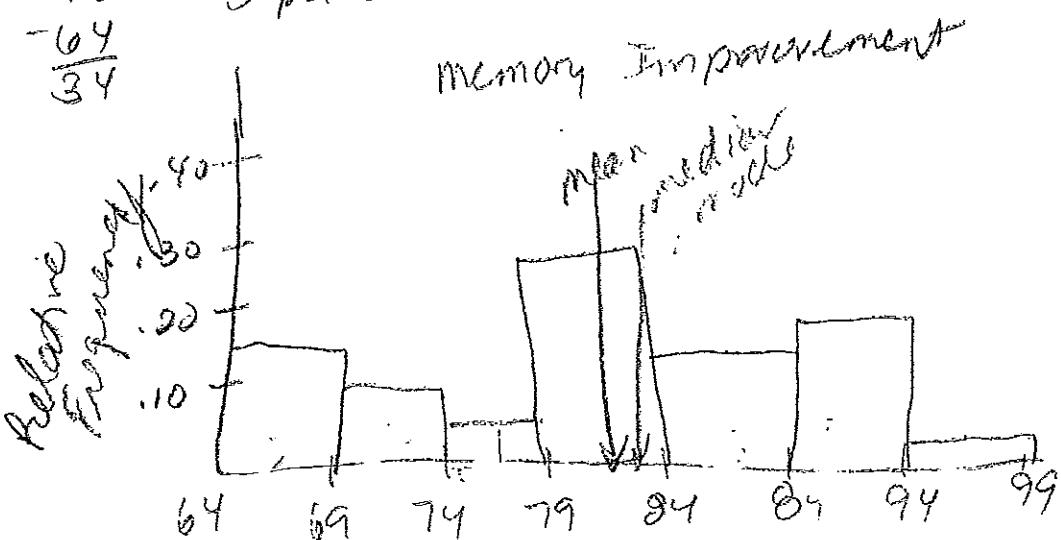
④



⑤ The distribution of kilowatt hours has two distinct peaks - one in the 811 - 850 range and another in the 891 - 930 kilowatt hour range. Other than the gap in the middle, the data is mound-shaped. The center is about 870

Kilowatt hours. The energy consumption ranges from 691 to 1087 and there appear to be no outliers.

- ⑥ 98 5 per class



# word phrases memorized

$$\begin{aligned} \textcircled{7} \quad \bar{x} &= 81.15 \\ \text{median} &= 83 \\ \text{mode} &= 83 \end{aligned}$$

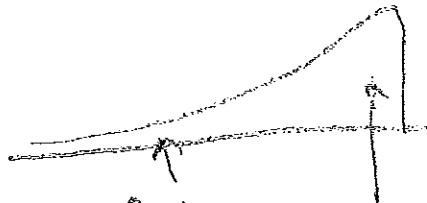
yes, most of the data is in the center with an equal number of observations on either side of the tallest bar

- ⑧ mode remains same, median could be lowered slightly. mean is most affected by drastic changes and outliers. (ANEW mean = 77.55)

- ⑨ no, need to take into account # of students in each class and determine a weighted mean

skewed left, median time is higher

⑩



few  
finish  
Quickly      most take  
                    entire time  
                    or close to  
                    entire time

⑪ for mound-shaped, symmetric distributions

68% of the data is within 1 std.dev. of the mean  
95% "        "        "        "        "        "        "        "  
almost 100% "        "        "        "        "        "        "        "

Can't use it on the distribution in #10,

because it is skewed

⑫ medical records of male coronary patients

$$\bar{x} = 54.6 \quad s^2 = 94.67 \quad s = 9.73$$

⑬ 68%

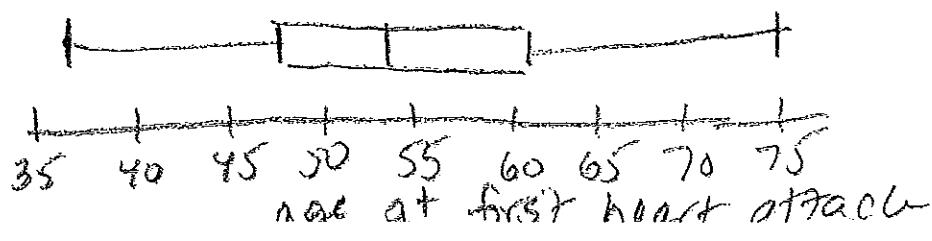
values between 45 and 64

$$\bar{x} + s = 64.33$$

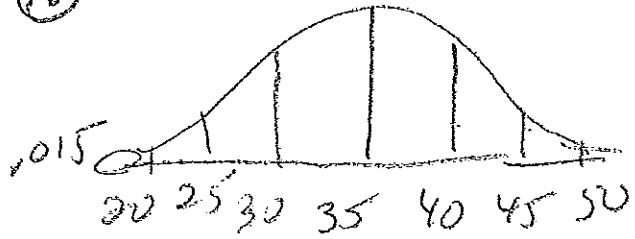
$$\bar{x} - s = 44.87$$

$$\frac{19}{30} = 63\% \rightarrow \text{close to } 68\%$$

⑭



(16)



$$P(X < 20)$$

past 3 standard deviations below the mean - very unlikely

Would expect claim to not collect  
occurs less than .0015 or  $.15\%$  of time

(17)

me

$$z = \frac{64 - 75}{15} = -1.6$$

friend

$$z = \frac{223 - 250}{25} = -1.08$$

I am better. Both values are less than  
mean, my score is closer to the mean -  
in terms of standard deviations.